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# ECON 202

## Lecture 2: Business Cycles

# What is a Business Cycle?

Business cycles are fluctuations about trend in real GDP

- Irregular:
  - Business cycles are unpredictable
- Regular:
  - Macro variables usually move together in quite predictable ways

# Terminology of Business Cycles

- **Trend:**

- Smooth curve/line that closely fits actual real GDP
- Represents long-run growth

- **Peak / trough:**

- Relatively large positive / negative deviation from the trend

# Terminology of business cycles

- **Amplitude:**

- Maximum deviation from the trend

- **Frequency:**

- Number of peaks per year

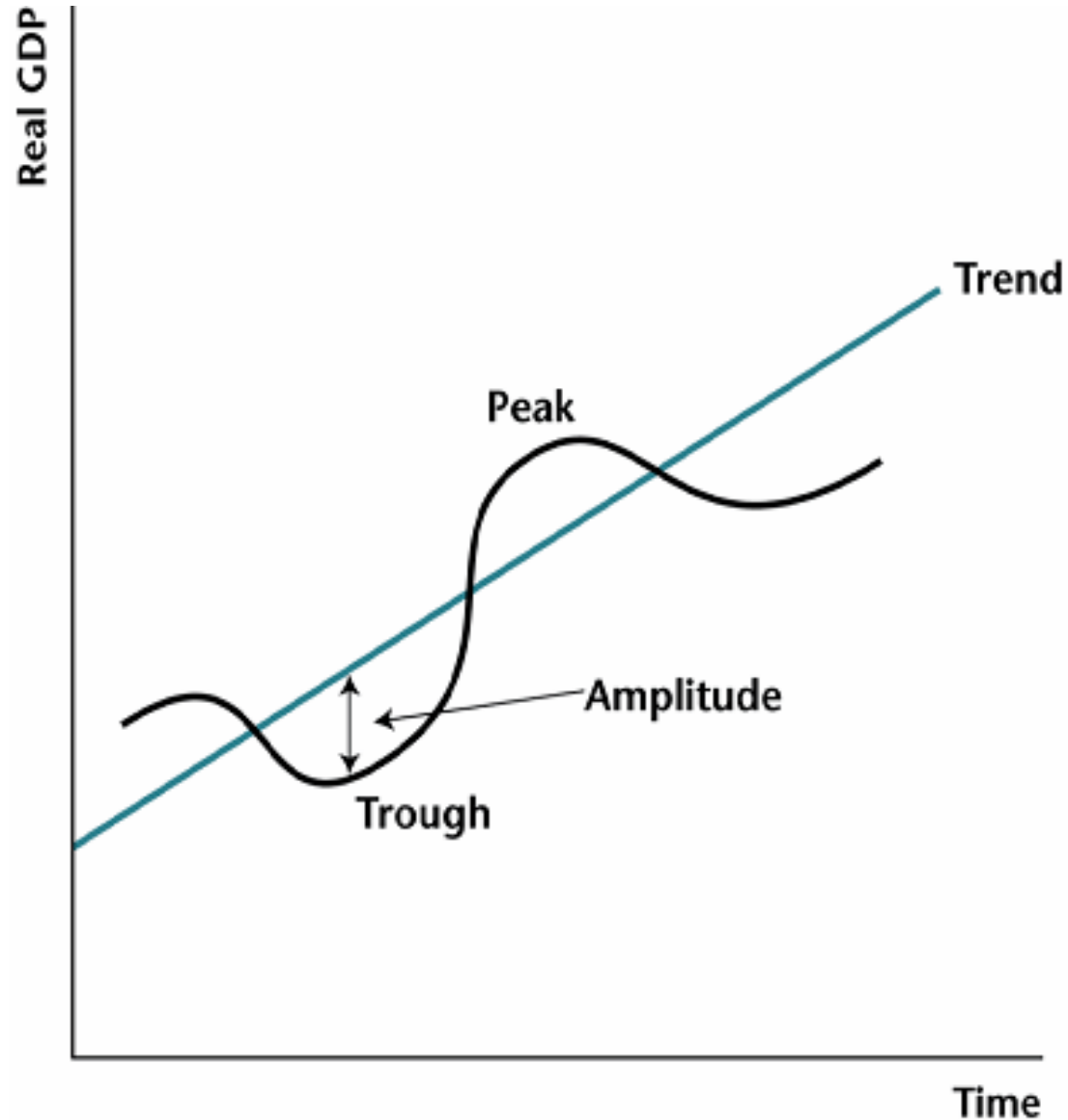
- **Boom:**

- A series of positive deviations culminating in a peak

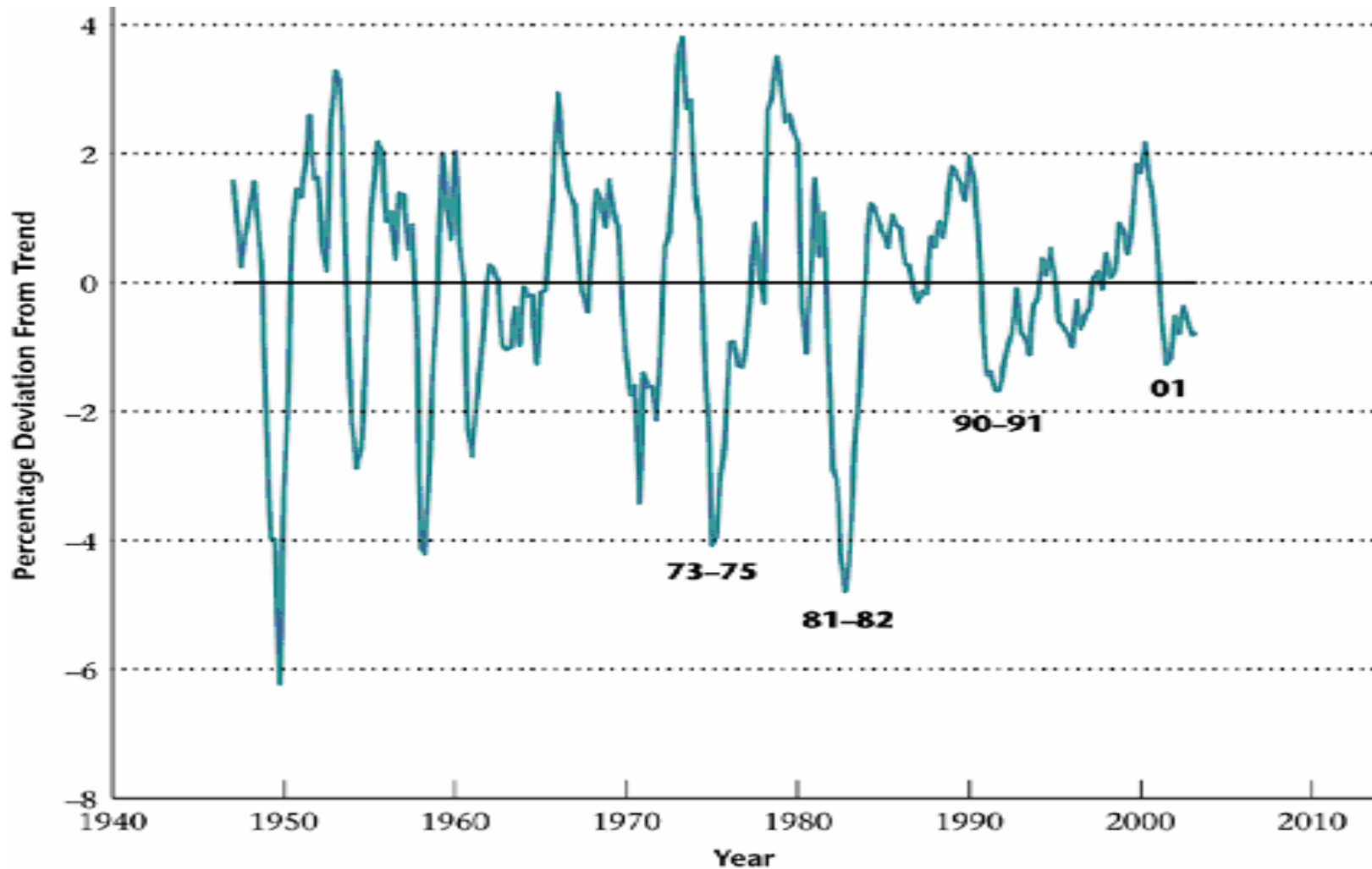
- **Recession:**

- A series of negative deviations culminating in a trough

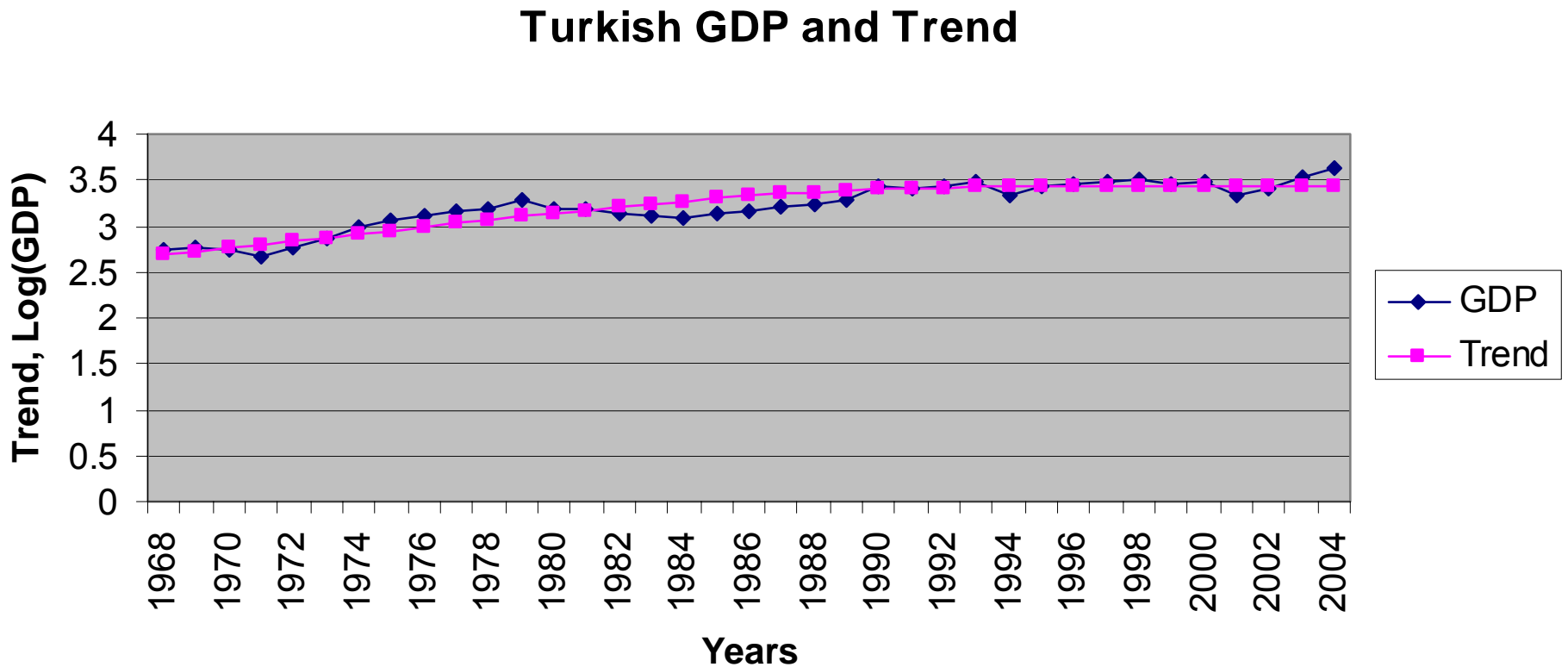
# Idealized Business Cycles



# Percentage Deviations from Trend in Real GDP from 1947–2003, US Data



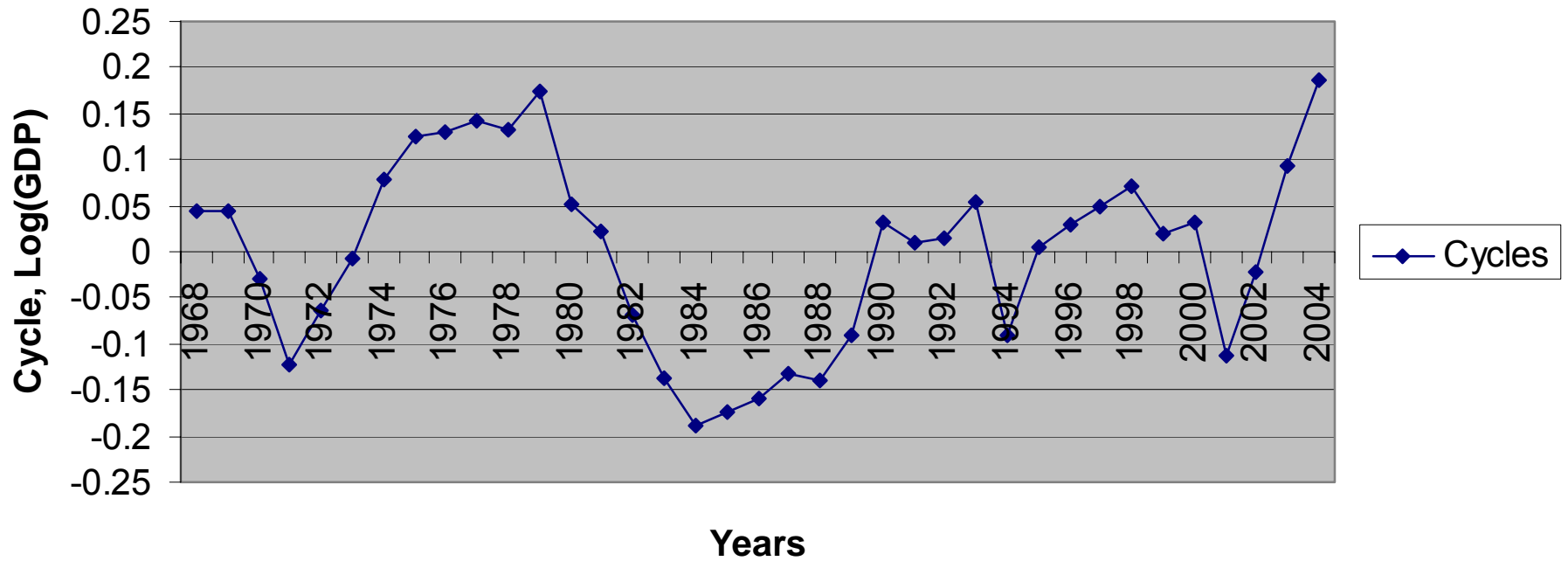
# Trend in Real GDP from 1968– 2004, Turkish Data



Not deseasonalized, presented for pedagogical purposes

# Percentage Deviations from Trend in Real GDP from 1968– 2004, Turkish Data\*

## Turkish Business Cycles



\*Not deseasonalized, presented for pedagogical purposes

# De-trending (HP Filter)

The Hodrick-Prescott Filter:

$$HP = \sum_{t=1}^T (y_t - g_t)^2 + \lambda \sum_{t=2}^{T-1} [(g_{t+1} - g_t) - (g_t - g_{t-1})]^2$$

$\lambda$ : 100 (Yearly Data)

$\lambda$ : 1600 (Quarterly Data)

$\lambda$ : 14400 (Monthly Data)

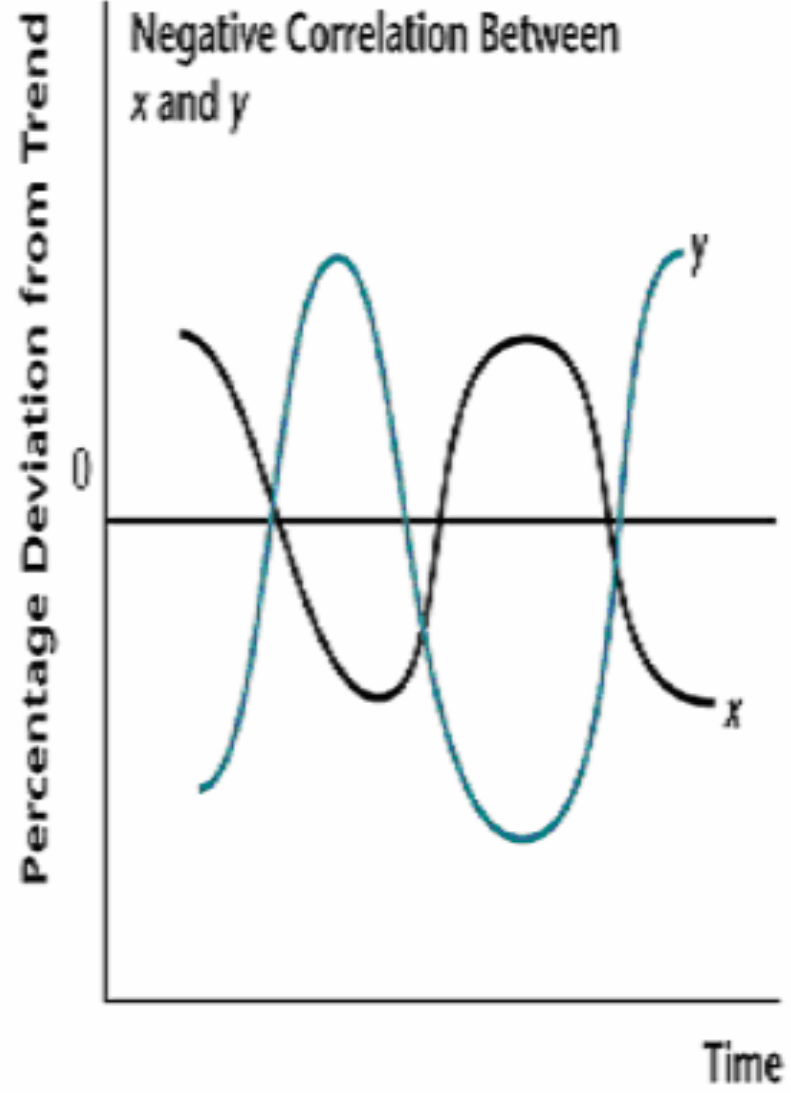
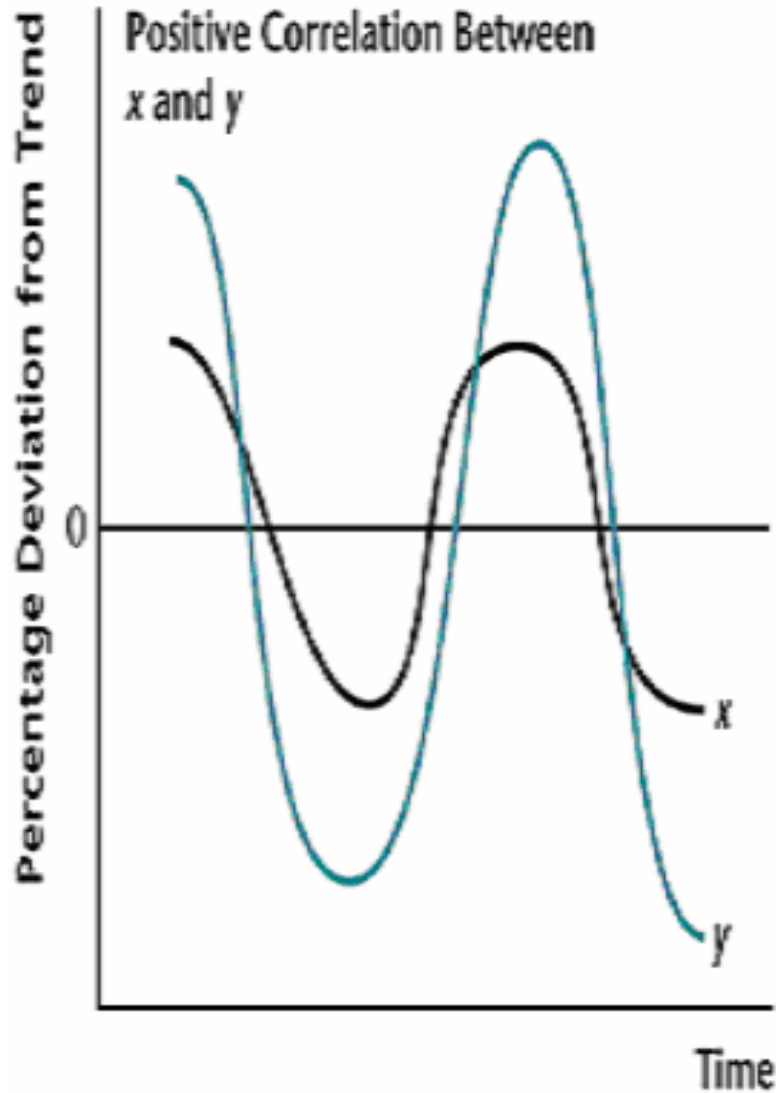
## Evidence in the data

- Persistent fluctuations
- Deviations are not smooth
- Variability of amplitudes
- Irregular frequency of the business cycles
- Regular co-movements of some macro variables

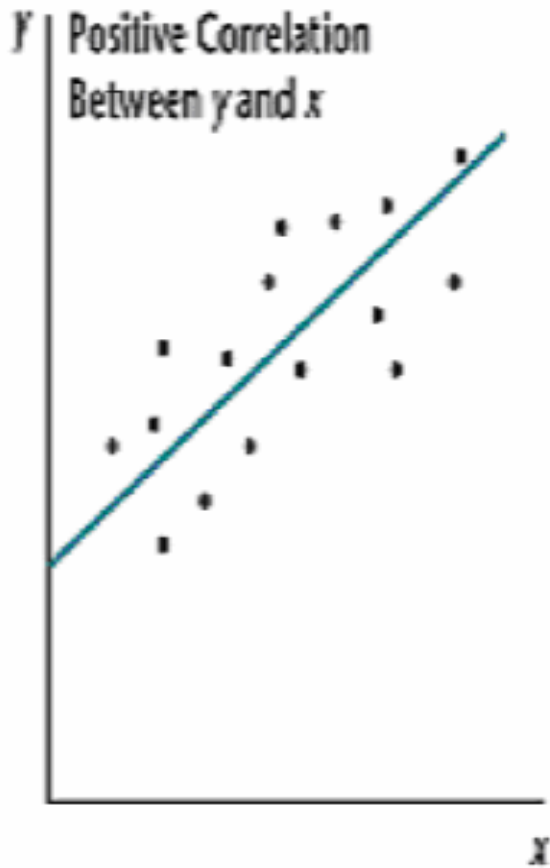
# Evidence in the data

- Co-movements:
  - How variables move in respect to another variable (real GDP in BCs literature)
  - We measure co-movements by estimating correlations between variables
- Correlation:  $-1 < \rho < 1$ 
  - correlation can be positive/negative
  - Strong/weak

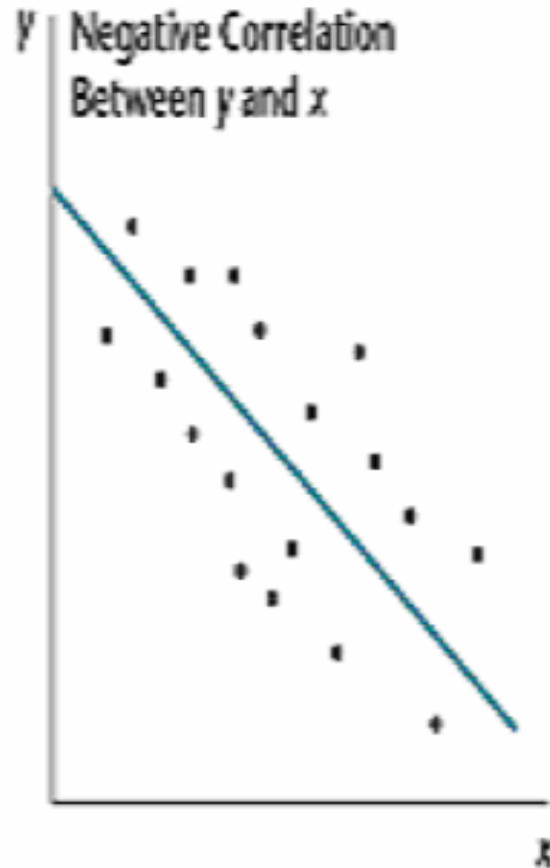
# Time Series Plots of $x$ and $y$



# Correlations Between Variables $y$ and $x$



(a)



(b)



(c)

# Correlation

- Procyclical:
  - Variables move the same direction as RGDP
  - Positive correlation with deviations from trend in RGDP
- Countercyclical:
  - Variables move opposite direction as RGDP
  - Negative correlation with deviations from trend in RGDP
- Acyclical:
  - Correlation is close to zero (positive or negative)

# Comovements

The coefficient of correlation:

$$\rho(x_t, c_t) = \frac{s_{xc}}{s_x s_c} = \frac{\sum_{t=1}^T (x_t - \bar{x})(c_t - \bar{c})}{\sqrt{\sum_{t=1}^T (x_t - \bar{x})^2} \sqrt{\sum_{t=1}^T (c_t - \bar{c})^2}}$$

$S_{xc}$  is covariance between  $x_t$  and  $c_t$

$S_x$  is the standard deviation of the estimated cyclical component of variable  $x$

$S_c$  is the standard deviation of the estimated cyclical component of RGDP

# Definitions

$$s_{xc} = \frac{1}{T-1} \sum_{t=1}^T (x_t - \bar{x})(c_t - \bar{c})$$

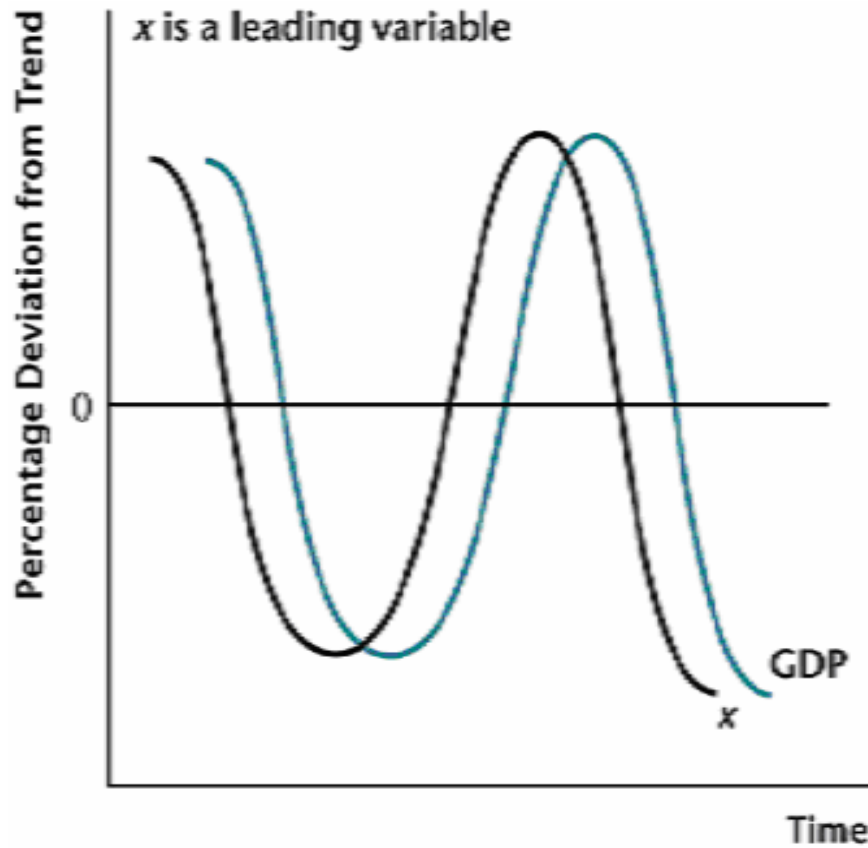
$$\bar{x} = \frac{1}{T} \sum_{t=1}^T x_t \quad \bar{c} = \frac{1}{T} \sum_{t=1}^T c_t$$

$$s_x = \sqrt{\frac{1}{T-1} \sum_{t=1}^T (x_t - \bar{x})^2} \quad s_c = \sqrt{\frac{1}{T-1} \sum_{t=1}^T (c_t - \bar{c})^2}$$

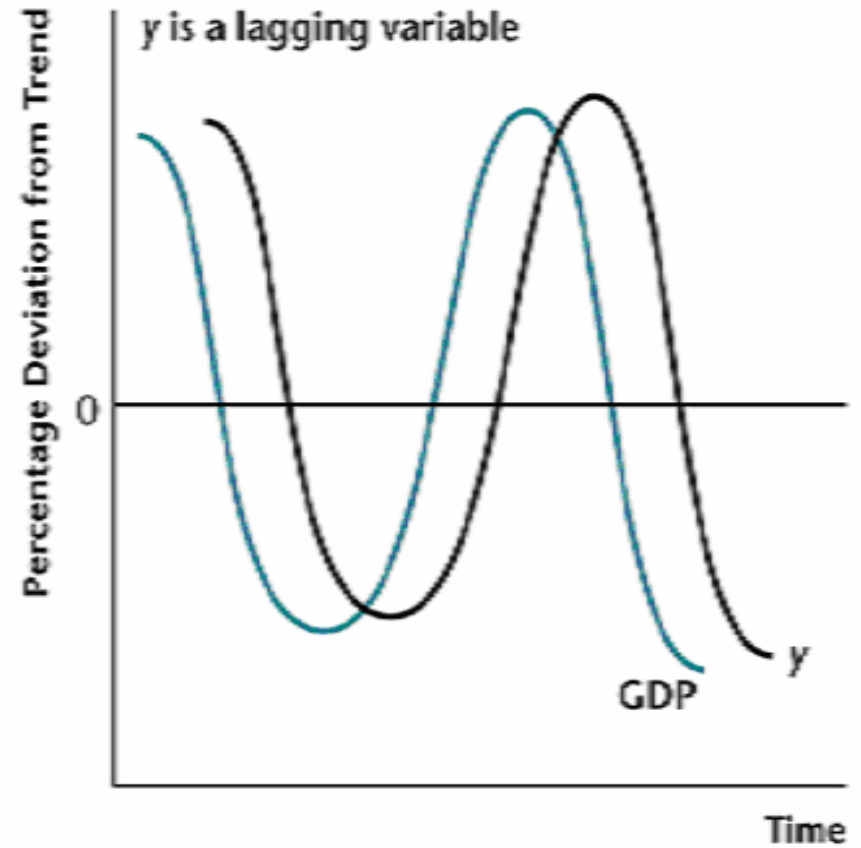
# Leads and lags

- Leading variable:
  - A variable that tends to predict future movements in RGDP
- Lagging variable:
  - Future movements of the variable can be predicted by movements in RGDP
- Coincident variable:
  - Is not either leading nor lagging

# Leading and Lagging Variables



(a)



(b)

# Lead / Lag

X is a leading indicator if

$$\rho(x_{t-n}, c_t)$$

is significantly different from zero and numerically greater than  $\rho(x_t, c_t)$

X is a lagging indicator if

$$\rho(x_{t+n}, c_t)$$

is significantly different from zero and numerically greater than  $\rho(x_t, c_t)$

# Volatility

Absolute volatility:

$$s_x = \sqrt{\frac{1}{T-1} \sum_{t=1}^T (x_t - \bar{x})^2}$$

Relative volatility

$$\frac{s_x}{s_c}$$